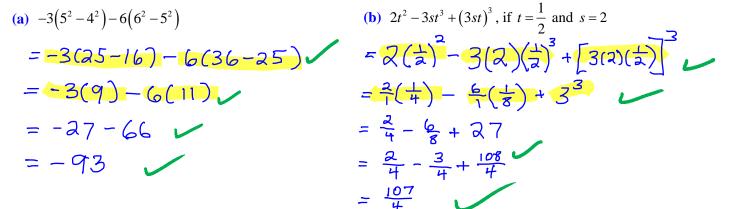


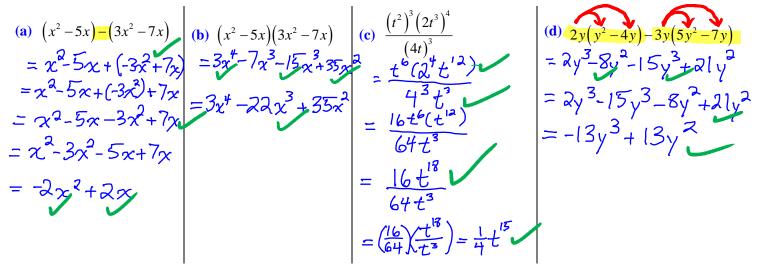
Full Solutions (10 COM)

8. Evaluate. (8 KU)



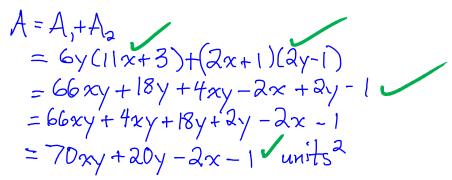


9. Simplify. (16 KU)

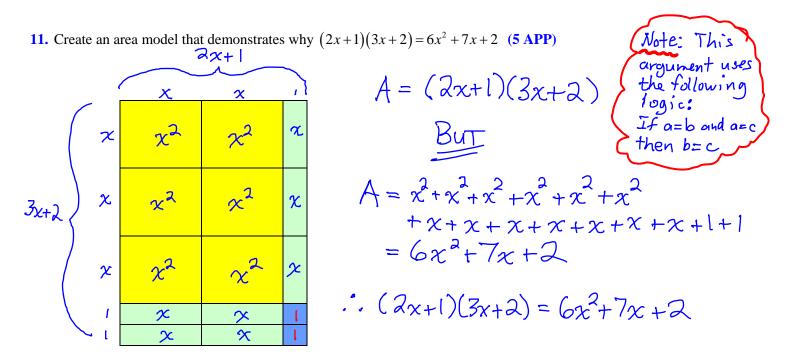


10. Write an algebraic expression, in *simplest form*, for ... (a) ...the *perimeter* of the figure at the right. (4 APP) P = 11x + 3 + 6y + 9x + 2 + 2y - 1 + 2x + 1 + 8y - 1 = 11x + 9x + 2x + 6y + 2y + 8y + 3 + 2 - 1 + 1 - 1 = 8y - 1 = 22x + 16y + 4 = 22x + 16y + 4 = 4x + 6y + 2y + 8y + 3 + 2 - 1 + 1 - 1 = 8y - 1 = 4x + 16y + 4 = 4x + 2y - 1 + 1 - 1 = 8y - 1

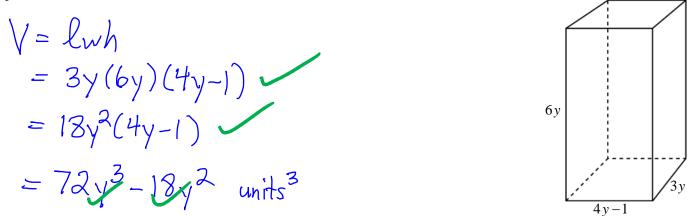
(b) ... the *area* of the figure at the right. (4 APP)



KU	APP	TIPS	COM
- 0	-0	-0	-



12. Write an algebraic expression, in *simplest form*, for the *volume* of the prism shown at the right. (Note that for a prism, $V = l \times w \times h$.) (4 APP)



- 13. Two friends, Elliot and Dang, are travelling to the airport in two different taxis. The taxi company used by Elliot charges a \$5.00 flat fee plus \$0.50 for every kilometre. In Dang's case, the taxi company charges a \$3.00 flat fee plus \$0.70 for every kilometre. (6 TIPS) (Can't assume they fravel the same distance)
 - (a) Write two expressions, one that represents Elliot's cost of travelling by taxi and another that represents Dang's cost of travelling by taxi.e → distance travelled by Elliot d → distance travelled

5+0.5P Elliot:

Dang: 3 ± 0.7

(b) Write an expression that represents Dang's and Elliot's *total cost* of travelling by taxi.

5+0.5e+3+0.7d = 8+0.5e+0.7d

(c) If Elliot travelled 35 km and Dang travelled 75 km, how much money did each friend spend? C = 35, d = 75 $E ||_i \sigma + : C_{os} + = 5 + 0.5(35) = 22.50 Dang: Cos + = 3 + 0.7(.75) = \$55.50KU = APP - 0 - 0



14. The table below summarizes the results of an experiment studying bacterial growth. At the beginning of the experiment, there are ten bacteria in a dish. Every 12 hours, the number of bacteria doubles. (6 TIPS)

(a) Extend the values in the table for the next two days.

Time Elapsed (h)	Number of Bacteria		
0	10		
12	$10 \times 2 = 20$		
24	$(10 \times 2) \times 2 = 10 \times 2^2$ $= 40$		
36	$(10 \times 2^2) \times 2 = 10 \times 2^3$ $= 80$		
48	$(10 \times 2^3) \times 2 = 10 \times 2^4$ $= 160$		
60	$(10 \times 2^4) \times 2 = 10 \times 2^5$ = 320		
72	$(10xa^{5})xy = 10xz^{6}$ = 640		
84	$(10 \times 2^{6}) \times 2 = 10 \times 2^{7}$ = 1280		
96	$(10x2^{7})x2 = 10x2^{8}$ = 2560		

(b) Assuming that the growth rate remains constant, use the pattern in the table to calculate the number of bacteria you would expect to find after 7 days.

The bacterial population doubles twice every day. After 7 days, the population will have doubled 14 times. Therefore, the population after seven days will be $10(2^{14}) = 163840$

(c) Write an equation that relates the number of bacteria to the amount of time elapsed (in days). b = # bacteria, t = time in days

 $b = 10(2^{2t})$

